

## CMSC 435 Introductory Computer Graphics More Illumination

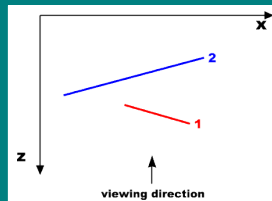
Penny Rheingans  
UMBC

## Advanced Illumination Topics

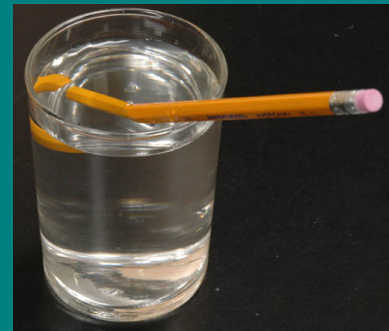
- Transparency
- Light source energy
- Surface Physics
- BRDF
- Incidence Angle Effects
- Anisotropic Effects
- Wavelength Dependent Effects
- Layered Surfaces

## Filtered Transparency

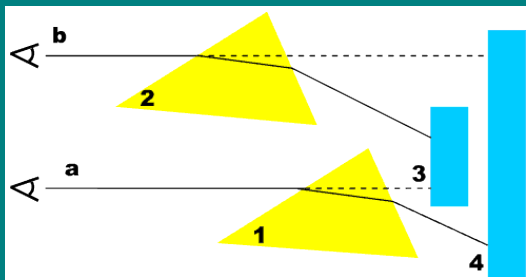
- Intensity
  - $I_f = I_{f1} + k_{tf} O_{tf} I_{f2}$
- Must composite back to front (or front to back)



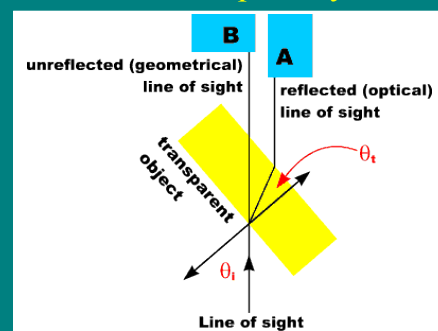
## Refraction



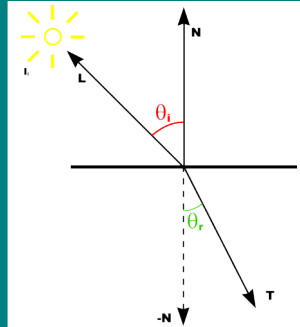
## Refractive Transparency



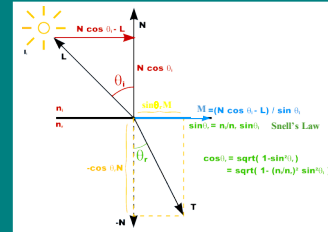
## Refractive Transparency



## Calculating Refraction Vector

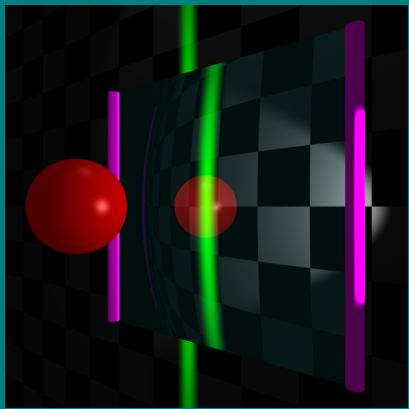


## Calculating Refraction Vector

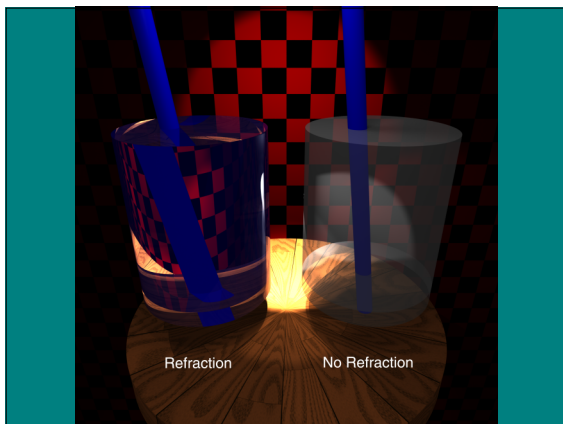
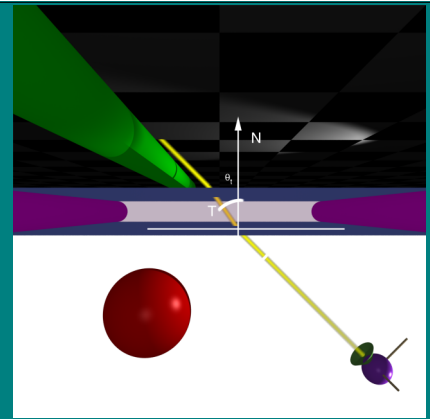


$$\begin{aligned}
 T &= \sin\theta_r M - \cos\theta_r N \\
 &= (\sin\theta_r / \sin\theta_i) (N \cos\theta_i - L) - \cos\theta_r N \\
 &= ((n_i/n_r) \sin\theta_i / \sin\theta_i) (N \cos\theta_i - L) - \cos\theta_r N \\
 &= ((n_i/n_r) (N \cos\theta_i - L)) - \cos\theta_r N \\
 &= ((n_i/n_r) \cos\theta_i - \cos\theta_r) N - (n_i/n_r) L \\
 &= ((n_i/n_r) \cos\theta_i - \sqrt{1 - (n_i/n_r)^2 \sin^2 \theta_i}) N - (n_i/n_r) L \\
 &= ((n_i/n_r) (N \cdot L) - \sqrt{1 - (n_i/n_r)^2 (1 - (N \cdot L)^2)}) N - (n_i/n_r) L
 \end{aligned}$$

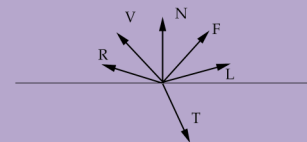
Side



Top



Total Illumination at a Point (single light source)



$$I = I_{\text{local}} + I_{\text{reflect}} + I_{\text{transmit}}$$

$$I_{\text{local}} = k_d I_a + k_s I_p (N \cdot L) + k_r I_p (R \cdot V)^n$$

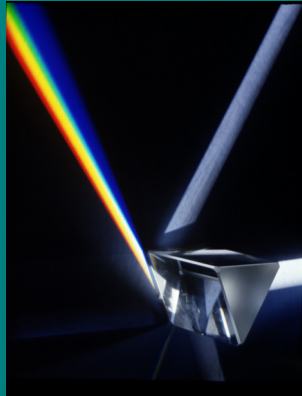
$$I_{\text{reflect}} = k_r I_r$$

where  $I_r$  = intensity evaluated along reflected ray F

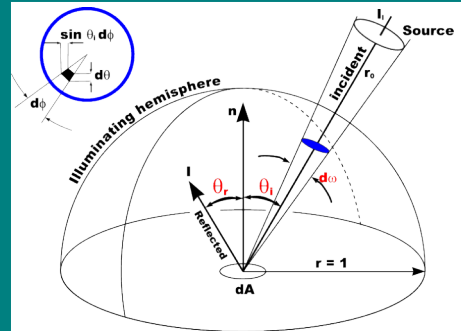
$$I_{\text{transmit}} = k_t I_t$$

where  $I_t$  = intensity evaluated along refracted ray T

## Refraction by Wavelength

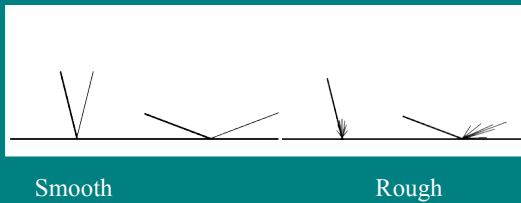


## Light Source Energy



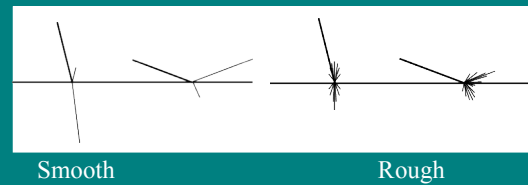
## Surface Physics

- Conductor (like metal)



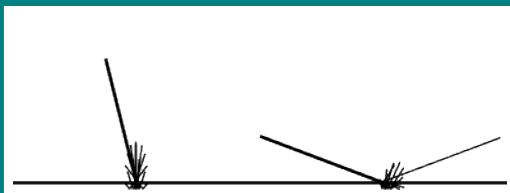
## Surface Physics

- Dielectric (like glass)



## Surface Physics

- Composite (like plastic)



## Reflectance Model

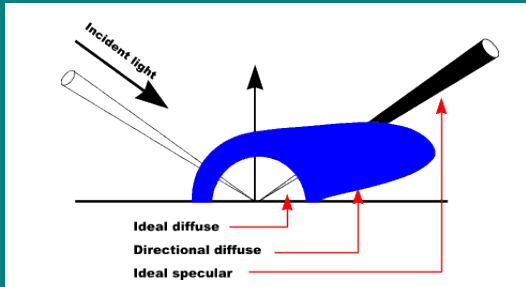
- Cook and Torrance, '81
- Incoming energy of incident light beam  

$$E_i = I_i (N \cdot L) d\omega_i$$
 where  $I_i$  : incident intensity  
 $d\omega_i$  : solid angle of beam
- Bidirectional reflectance  

$$R = I_r / E_i$$
- Reflected light from each light source  

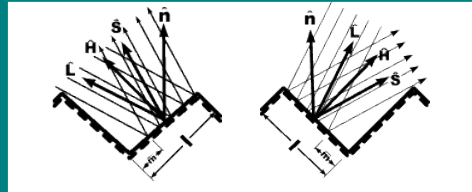
$$I_r = R E_i$$

## BRDF



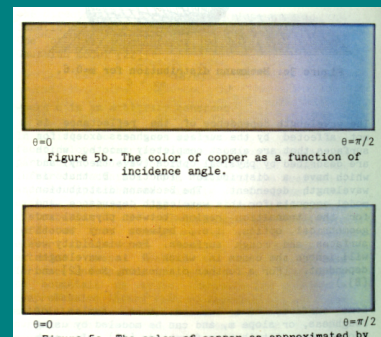
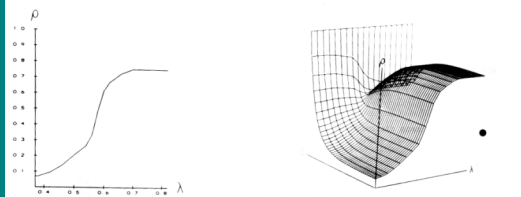
## Directional Distribution

- Assume surface consists microfacets
  - $R_s = F/\pi * D/(N \cdot L) * G/(N \cdot V)$
  - F: Fresnel term
  - G: geometric attenuation factor (masking and shadowing)
  - D: facet slope distribution function



## Spectral Composition

- All components of reflectance depend on wavelength
- Reflectance spectra of materials from measurements
- Spectral energy distribution of reflected light from spectral distributions of both incident light and reflectance



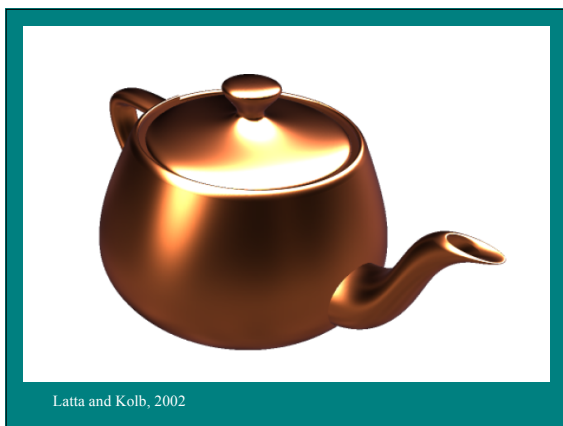
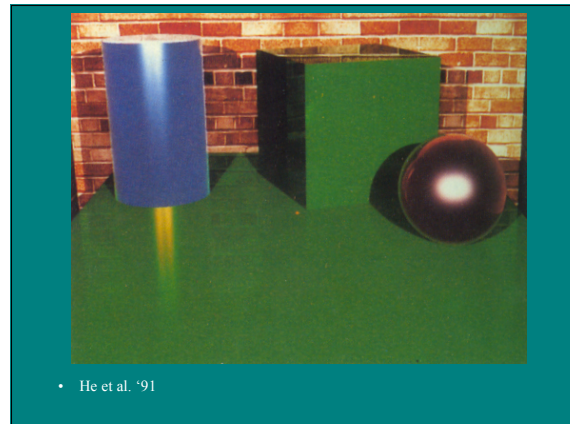
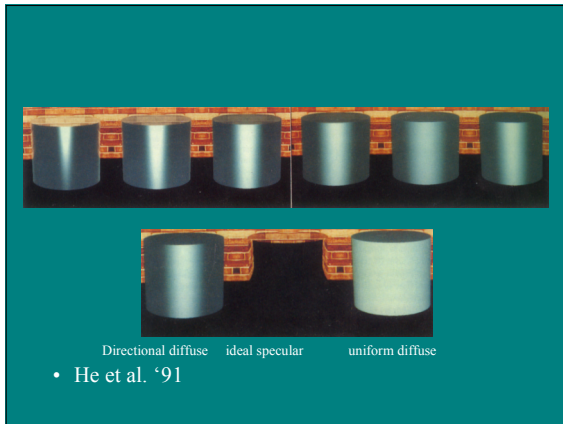
- Cook and Torrance '81



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- Cook and Torrance, '81

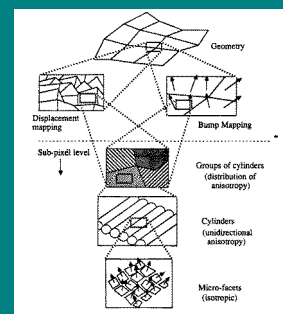


## Anisotropy

- Oriented light reflection not solely dependent on normal/light relationship
- Examples
  - oriented components: fur, hair, grass, fibers
  - oriented defects: burnished metal, scratches

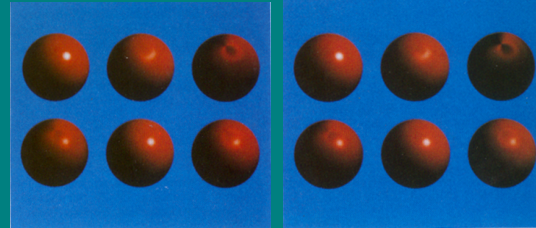
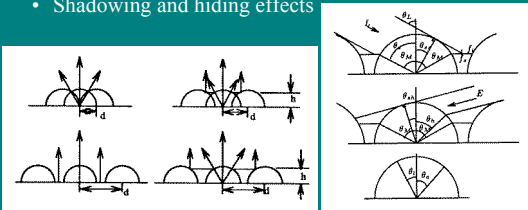
## Hierarchy of Geometric Models

- Geometry
- Displacement
- Bump mapping
- Frame bundles
- Cylinders
- Micro-facets



## Cylindrical Scratches

- Use positive and negative cylinders to model grooves of anisotropic surface
  - d: distance
  - h: height
- Shadowing and hiding effects



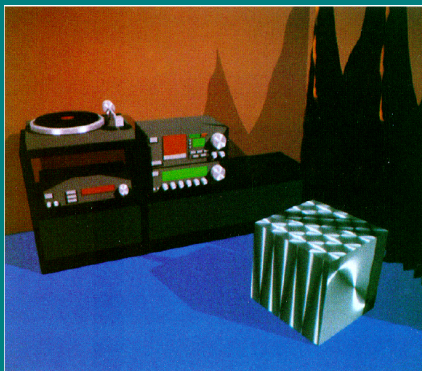
- Poulin and Fournier '90



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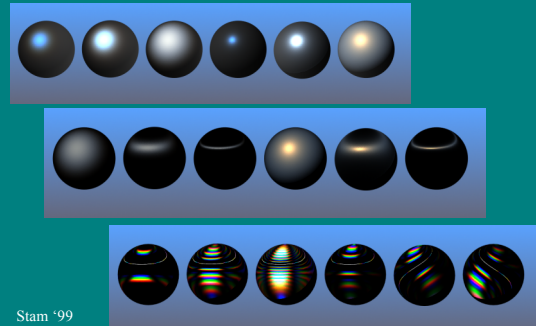


- Poulin and Fournier '90

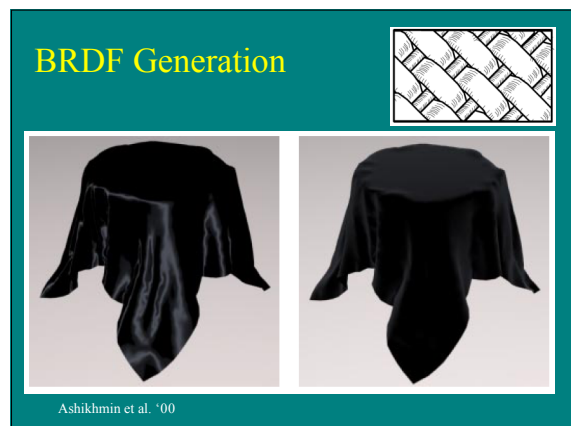
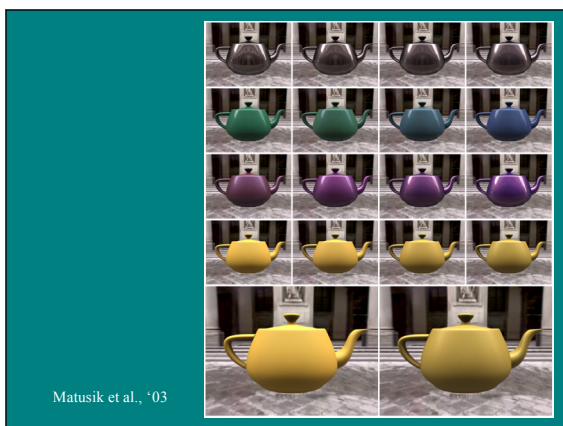
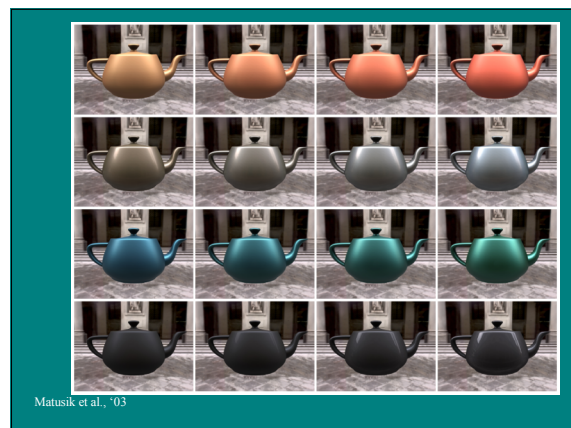
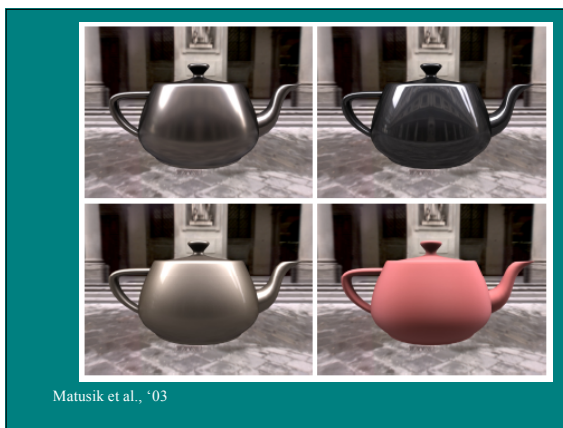
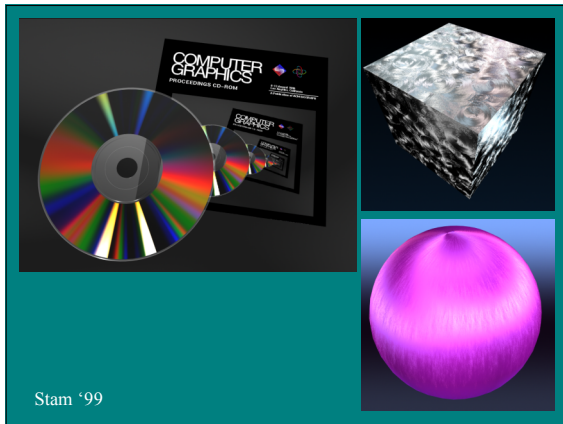


- Poulin and Fournier '90

## Diffraction Shaders

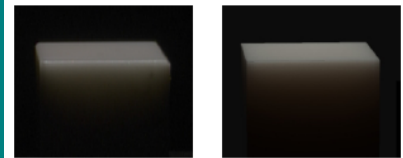
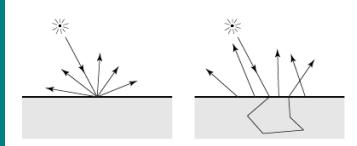


- Stam '99



## Layers and Subsurface Scattering

- Translucent materials require BSSRDF



Jensen et al, '01



BRDF

BSSRDF

Jensen et al, '01



Jensen et al, '01



BRDF



BSSRDF

Jensen et al, '01

## Comparisons to Reality

- Correspondence between appearance standards and illumination parameter

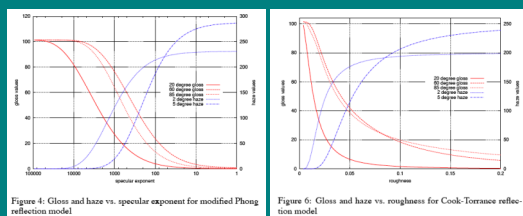


Figure 4: Gloss and haze vs. specular exponent for modified Phong reflection model

Figure 6: Gloss and haze vs. roughness for Cook-Torrance reflection model

Westlund and Meyer, '01



Figure 7: Tiles with measured 20 degree specular gloss values 80, 60, 40, and 20

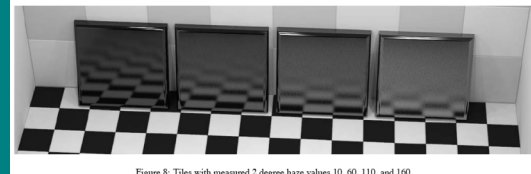


Figure 8: Tiles with measured 2 degree haze values 10, 60, 110, and 160

Westlund and Meyer, '01

