# CMSC 331 Midterm Exam, Fall 2010 b 

Name: $\qquad$
UMBC username: $\qquad$
You will have seventy-five (75) minutes to complete this closed book/notes exam. Use the backs of pages if you need more room for your answers. Describe any assumptions you make in solving a problem. We may assign partial credit and deduct points for answers that are needlessly wordy.

## 1. True/False [40]

For each of the following questions, circle T (true) or F (false).
T F 1.1 FORTRAN was designed as a programming language for scientific and engineering applications. TRUE
T F 1.2 The imperative programming paradigm treats procedures as first class objects. FALSE
T F 1.3 The "Von Neumann" computer architecture dominated the early days of computing but was largely replaced by new designs in the 1980s. FALSE
T F 1.4 An advantage of a compiler over an interpreter is that it generally produces portable code able to run on many different hardware and software platforms. FALSE
T F 1.5 A grammar with a finite number of non-terminal and terminal symbols and also a finite number of rules can specify an infinite language. TRUE
T F 1.6 Attribute grammars can specify languages that can not be specified using a context free grammar. TRUE
T F 1.7 A recursive descent parser can't directly use a grammar that has left recursive rules. TRUE
T F 1.8 The lexical structure of complex programming languages like Python can be defined using regular expressions. TRUE
T F 1.9 A deterministic finite automaton for a regular language is generally easier to write than a non-deterministic one, but harder to apply to a string to see if it matches. FALSE
T F 1.10 If the grammar for a language is ambiguous, then there is more than one way to parse every valid sentence in that language. FALSE
T F 1.11 A BNF grammar can contain both left-recursive and right-recursive rules. TRUE
T F 1.12 The EBNF notation allows one to define grammars that can not be defined using the simpler BNF notation. FALSE
T F 1.13 The order of a grammar's production rules is not significant, i.e., two grammars with identical rules but given in different order will always define the same language. TRUE
T F 1.14 An operator's precedence determines whether it associates to the left or right. FALSE
T F 1.15 Specifying how else clauses match with the right if keyword is done by adjusting the precedence of the $\mathrm{i} f$, then and else operators. FALSE
T F 1.16 Scheme's simple grammar makes it easy to define functions that take a variable number of arguments. TRUE
T F 1.17 The idea behind operational semantics is to define the meaning of statements in a programming language by translating them into statements in another language. TRUE
T F 1.18 In Scheme, evaluating a symbol requires looking up the value assigned to it as a variable. TRUE
T F 1.19 A Scheme predicate function is one whose returned value can be interpreted as a Boolean. TRUE
T F 1.20 Scheme uses dynamic scoping to resolve the value of a free (i.e., non-local) variable. FALSE

## 2. General multiple-choice questions [30]

Circle all of the correct answers and only the correct answers.
2.1 Which of the following is considered an object-oriented programming language? (a) ML; (b) Haskell; (c) Smalltalk; (d) Scheme; (e) C\# (f) Java (g) Algol (C, E, F)
2.2 Left factoring is a technique that can be used to (a) remove left recursion from a grammar; (b) factor out left associative operators; (c) eliminate a non-terminal from the left side of a grammar rule; (d) prepare a grammar for use in a recursive descent parser; (e) produce a left most derivation of a string from a grammar; (f) all of the previous answers; (g) none of the previous answers. (A, D)
2.3 A LR(1) parser (a) processes the input symbols from left to right; (b) produces a left-most derivation; (c) looks ahead at most one input symbol before knowing what action to take; (d) takes time proportional to the cube of the number of input symbols. (A, C)
2.4 Attribute grammars are used to (a) specify the static semantics of a programming language; (b) model the basic syntax of a programming language; (c) specify non-finite state machines; (d) specify the dynamic semantics of a programming language; (e) create parsing tables for LR(k) parsers. (A)
2.5 Which of the following parsing algorithms use a top-down approach as opposed to a bottom-up one: (a) recursive descent; (b) LL(k); (c) LR(k). (A, B)
2.6 Scheme optimizes "tail calls" to (a) execute recursion as iteration; (b) speed up program execution; (c) improve program readability; (d) lessen the chance of stack overflow, (e) all of the above. (A, B, D)
2.7 In Scheme, evaluating a lambda expression always returns an (a) environment; (b) variable type; (c) function; (d) conditional; (e) pair. (C)
2.8 In Scheme, a free variable in a function is looked up in (a) the global environment; (b) the environment in which the function was defined; (c) the environment from which the function was called; (d) all active environments. (B)
2.9 Which of the following Scheme expressions would be interpreted as true when evaluated: (a) 0 ; (b) -1; (c) null; (d) \#f; (e) (lambda () \#t) (f) (not (not 1)) ; (g) (not -1). (A, B, C, E, F)
2.10 In Scheme, a tail-recursive algorithm is generally better than a non-tail recursive algorithm because (a) it can be run without growing the stack; (b) it is easier to understand; (c) it has no sideeffects; (d) all of the above. (A)

## 3. Operators [45]

Given the following BNF grammar for a language with two infix operators represented by \# and $\$$.

```
<tic> ::= <toe>
<tac> ::= <tic> $ <tac>
<toe> ::= ( <tac> )
<tic> ::= <tic> # <toe>
<tac> ::= <tic>
<toe> ::= x | y
```

a) [5] Which operator has higher precedence: (i) \$; (ii) \#; (iii) neither; (iv) both (ii)
b) [5] What is the associativity of the $\$$ operator: (i) left; (ii) right; (iii) neither (ii)
c) [5] What is the associativity of the \# operator: (i) left; (ii) right; (iii) neither (i)
d) [5] Assuming that the start symbol is <tac>, does this grammar define a finite or infinite language? infinite
e) [5] Assuming that the start symbol is $\langle\mathrm{tac}\rangle$, is this grammar: (i) ambiguous or (ii) unambiguous? (ii)
f) [20] Give a parse tree for the following string:

$$
x \$ x \# y \#(y \$ x)
$$

to be supplied

## 4. Regular expressions [30]

The UMBC registrar uses a code for courses consisting of three parts:

- A four letter upper-case program abbreviation (e.g., CMSC, CMPE, HIST)
- A three digit course number between 100 and 899 (e.g., 331, 104)
- An optional upper or lower case letter (e.g., H, A, w)

Examples of legal codes are CMSC331H and CMSC491 and of illegal codes are CS331 and CMSC001.


This example shows a DFA for the regular expression 0? [12]
(a) [15] Draw a deterministic finite automaton (DFA) for this language. Feel free to define a class of characters using a notation like the following, which represents a letter and a single digit and to put such a class name on an arc in your DFA.

LET: [a-zA-Z]
DIG: [0-9]
(c) [15] Write an equivalent regular expression for your DFA. Use a notation in which a '*' indicates any number of repetitions, ' + ' indicates one or more repetitions, '?' means zero or one repetitions, parentheses group things, a vertical bar separates alternatives, etc., as in the following example:

```
LET: [a-zA-Z]
((mr|mrs|ms|dr)\.\t+)? LET+ (\t+ LET+)*
    UC: [A-Z]
    LET: [a-zA-Z]
    D1: [1-8]
    D2: [0-9]
    UC UC UC UC D1 D2 D2 LET?
    to be supplied
```


## 5. Constructing s-expressions [30]

Consider the Scheme data Structure that when printed looks like ((1 (2)) (3))
5.1 [5] Give a Scheme expression using only the cons function that will create this list. Use the variable null for the empty list.

## (cons (cons 1 (cons (cons 2 null) null)) (cons (cons 3 null) null))

5.2 [5] Give a Scheme expression using only the list function that will create this list. Use null for the empty list.

## (list (list 1 (list 2)) (list 3))

5.3 [10] Assuming that we've done (define $x$ ' ((1 (2)) (3))) give a Scheme expression using only the functions car and $\mathbf{c d r}$ and variable $\mathbf{x}$ that returns the three symbols in the list.

| symbol | s-expression to return the symbol |
| :---: | :---: |
| $\mathbf{1}$ | $(\operatorname{car}(\operatorname{car} \mathbf{x}))$ |
| $\mathbf{2}$ | (car $(\operatorname{car}(\operatorname{cdr}(\operatorname{car} \mathbf{x}))))$ |
| $\mathbf{3}$ | $(\operatorname{car}(\operatorname{car}(\operatorname{cdr} \mathbf{x})))$ |

5.4 [10] Draw a "box and pointer" diagram showing how the list ((1 (2)) (3))) is represented in pairs. The figure to the right shows an example of the diagram format you should use. This example represents the list (1 (2)).


## 6. Scheme I [30]

Common Lisp has a built-in function maplist. The Scheme counter part could be defined as follows:
(define (maplist f 1)
(if (null? 1) nu11
(append (f 1) (maplist f (cdr 1)))))
(a) [10] What will (maplist list '(1 23 3)) return?
$\left.\left(\begin{array}{lll}1 & 2 & 3\end{array}\right)\left(\begin{array}{ll}2 & 3\end{array}\right)(3)\right)$
(b) [10] What will (maplist (lambda (x) x) '(1 23 3)) return?
$\left(\begin{array}{llllll}1 & 2 & 3 & 2 & 3 & 3\end{array}\right)$
(c) [10] What will (maplist (lambda (x) (list (length x))) '(1 23 ))
(3 21 1)

## 7. Scheme II [20]

Consider a function prefix with two arguments, both of which are proper lists. It returns true if the first is a prefix of the second.

```
> (starts null '(1 2 3 4 4))
#t
> (starts '(1 2) '(1 1 2 3 4))
#t
> (starts '(1 2 3 4) '(1 2 3))
#f
> (starts '(1 2 x) '(1 2 3 4))
#f
> (starts '(1 2) '(1 2))
#t
> (starts '(1 2) '())
#f
```

Here is an incomplete definition of the function. Give code expressions for $<$ S1 $>,<$ S2 $>$ and $<$ S2 $>$ that will complete it.

```
(define (starts one two)
    (cond ((nul1? one) <S1> )
        ((nul1? two) <S2> )
        (<S3>
        <S4>)
        (e1se <S5> )))
```

| <S1> | \#t |
| :---: | :---: |
| <S2> | \#f |
| <S3> | (equal? (car one) (car two)) |
| <S4> | (starts (cdr one)(cdr two)) |
| <S5> | \#f |

